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## Distance \& Displacement

Distance

- How far it is from point $A$ to point $B$ along the path traveled.

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## Displacement

- The change in position of an object.
- Includes the direction
- The total displacement of an object is the sum of the individual displacements.
- Symbol: d


## Example

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- A boy walks 4 km East then turns around $\qquad$ and walks 1 km West.


What distance does he travel? $\qquad$
$4 \mathrm{~km}+1 \mathrm{~km}=\mathbf{5} \mathbf{~ k m}$
What is his displacement?

$$
\begin{aligned}
& d=d_{1}+d_{2} \\
& d=(4)+(-1) \\
& d=\mathbf{3} \mathbf{~ k m} \text { East }
\end{aligned}
$$

## Example

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- A boy walks 4 m East, 2 m South, 4 m $\qquad$ West and finally 2 m North.


What distance does he travel?

What is his displacement?
12 m
0 m

## Speed \& Velocity

## Speed

- How fast an object is moving.
average speed $=\frac{\text { distance }}{\text { time }}$


## Velocity

- How fast an object changes its position. - includes direction average velocity $=\frac{\text { displacement }}{\text { time }}$

$$
\bar{v}=\frac{\Delta d}{\Delta t}
$$

## Example

- A turtle leaves his house and moves 30 m
$\qquad$
$\qquad$ North followed by 10 m South. The trip takes 20 s to complete. Calculate the $\qquad$ speed and velocity of the turtle.

| Speed | Velocity |  |
| :---: | ---: | :--- |
| $\frac{\text { distance }}{\text { time }}$ | $=\frac{30+10 \mathrm{~m}}{20 \mathrm{~s}}$ | $\bar{v}=\frac{\Delta d}{\Delta t}$ |
| $=$ | $=\frac{30-10 \mathrm{~m}}{20 \mathrm{~s}}$ |  |
|  | $=2 \mathrm{~m} / \mathrm{s}$ |  |

## Scalar \& Vector

## Scalar

- A quantity that has magnitude (how big or how much)
- distance
- 100 m
- mass
- 70 kg


## Vector

- A quantity that has both magnitude and direction
- displacement, $d$
- 25 m South
- velocity, $v$
- $30 \mathrm{~m} / \mathrm{s}$, North
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| Scalar \& Vector |  |
| :---: | :---: |
| Scalar <br> - A quantity that has magnitude (how big or how much) <br> - distance <br> - 100 m <br> - mass <br> - 70 kg | Vector <br> - A quantity that has both magnitude and direction <br> - displacement, $d$ - 25 m South <br> - velocity, $v$ <br> - $30 \mathrm{~m} / \mathrm{s}$, North |

## Uniform Motion

- The object is moving with a constant velocity in a straight line.
- acceleration is equal to zero
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## Acceleration

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- The change in velocity divided by time
$\qquad$
average acceleration $=\frac{\text { change in velocity }}{\text { time }}$

$$
\bar{a}=\frac{\Delta v}{\Delta t}
$$

## Example

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- A car starting from rest reaches a velocity $\qquad$ of $20 \mathrm{~m} / \mathrm{s}$ North in 5 s . What is the average acceleration of the car?

$$
\bar{a}=\frac{\Delta v}{\Delta t}=\frac{20-0}{5}=4 \mathrm{~m} / \mathrm{s}^{2} \mathrm{North}
$$

- Since velocity is speed plus direction, the velocity will change if the speed changes or the direction changes. $\qquad$
- Therefore, an object will accelerate if its speed changes or its direction changes.
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- The direction of the acceleration depends on
- what direction the object is moving
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- how the speed is changing
- The general principle for determining the $\qquad$ direction of acceleration is
- If an object is slowing down, then its $\qquad$ acceleration is in the opposite direction of its motion
(a) Car is speeding up

(b)

(b) Car is slowing down


## Examples

- Which direction is the acceleration?
- A car is speeding up while traveling North
- North
- A truck going forwards is slowing down
- Backwards
- A car is slowing down while traveling East
- West
$\qquad$

A truck is speeding up while going backwards

- backwards $\qquad$
$\qquad$


## Summary

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- Distance
- Displacement $\qquad$
- Speed
- $\frac{\text { distance }}{\text { time }}$
- Velocity
- $\frac{\text { displacement }}{\text { time }}$
- Acceleration $\qquad$
- change in velocity


## Unit Conversions

$$
\frac{k m}{h} \times \frac{1000}{3600}=\frac{m}{s}
$$

Example:

$$
50 \frac{\mathrm{~km}}{\mathrm{~h}} \times \frac{1000}{3600}=13.9 \frac{\mathrm{~m}}{\mathrm{~s}}
$$


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- If an object is stationary (at rest), the position does not change.
- The graph is a flat line. $\qquad$

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- A straight line (with a slope) represents constant speed.
- Positive slope is forwards.
- Negative slope is backwards.
- The velocity is the slope of the line.
- The steeper the slope, the bigger the velocity

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- Accelerated motion appears curved


- Describe the motion
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$\qquad$
- Describe the motion



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- Constant velocity is shown by a flat line. $\qquad$
- Positive values are moving forward.
- Negative values are moving backward. $\qquad$

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| - Positive values |
| :--- | :--- |
| represent motion |
| in the positive |
| direction (forward). |$\quad$| - Negative values |
| :--- |
| represent motion in |
| the negative |
| direction (backward). |


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- The object is stationary when the velocity is equal to zero.

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